

Algebra and Trigonometry Release Notes 2017

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Errata:

Below is a table of containing submitted errata, and the resolutions that OpenStax has provided for this latest text.

Issue	Resolution	Severity
Chapter 1: Prerequisites, Section: Real Numbers: Algebra Essentials: In the discussion of the distributive property, this textbook includes the statement: "Multiplication does not distribute over subtraction", which is false as far as I can tell. No further elaboration is made, and no supporting example is provided. The same line continues that, "division distributes over neither addition nor subtraction." This statement is incorrect or at least poorly stated, as division distributes over addition one way: $(a+b)/c = a/c + b/c$, but not the other: $c/(a+b) \neq c/a + c/b$.	Delete the sentence "Multiplication does not distribute over subtraction, and division distributes over neither addition nor subtraction."	Major
Chapter 1: Prerequisites, Section: Real Numbers: Algebra Essentials, Try It 7: 1.7 d. has two operation symbols. It shows $17/18 + * [4/9 + (-17/18)]$. Per the solution, it should be $17/18 + [4/9 + (-17/18)]$	Remove the extraneous multiplication sign from the equation given in part d of Try It 7 as follows: Try It #7: Use the properties of real numbers to rewrite and simplify each expression. State which properties apply. d. $17/18 + [4/9 + (-17/18)]$	Typo

<p>Chapter 1: Prerequisites, Section: Real Numbers: Algebra Essentials, Example 12: In example 12, solution b. the second line reads "$= 2r + 5y + 15 + 4$" where it should read "$= 2r + 5r + 15 + 4$" as r is the variable in this equation, not y.</p>	<p>Revise the variable "y" to "r" in part b of the solution to Example 12 "Simplifying Algebraic Expressions".</p>	<p>Typo</p>
<p>Chapter 1: Prerequisites, Section: Exponents, Subsection: Using the Zero Exponent Rule of Exponents and Scientific Notation: In Example 1.17, part a in the solution has the same text repeated in each step. The second line should be equals 3 to the zero power. The last step should be equals 1.</p>	<p>Revise the solution to Example 1.17 part b. "Using the Zero Exponent Rule" as follows: $b. \frac{c^3}{c^3} = c^{(3-3)} = c^0 = 1$</p>	<p>Typo</p>
<p>Ch 1: Prerequisites, Section: Radicals and Rational Expressions, Odd Answers: #39 is in error: $m^{5/2} \sqrt{289}$ reduces to $17m^2 \sqrt{m}$ (not $18m^2 \sqrt{m}$ as in solutions; note $18^2 = 324$). Change solution coefficient from 18 to 17.</p>	<p>Revise the solution to exercise 39 as follows: $17m^2 \sqrt{m}$</p>	<p>Typo</p>
<p>Chapter 1: Prerequisites, Section: Polynomials, Section Exercises: #38-52, direction should be: "For the following exercises, find the product." (Previously: "For the following exercises, find the sum or difference.").</p>	<p>Revise the direction for Section Exercises #38 - 45 as follows: "For the following exercises, multiply the polynomials."</p>	<p>Typo</p>
<p>Chapter 1: Prerequisites, Section: Factoring Polynomials, Section Exercises: In the exercises, in Algebraic, problem 35 is a repeat of problem 34 and the wrong answer is given in "odd answers", both in web view and PDF versions.</p>	<p>Replace exercise #35 with the following: 35. $25p^2 - 120p + 144$</p>	<p>Typo</p>
<p>Chapter 1 Prerequisites, End of Chapter Exercises: It appears that problem #113 from 1.2 Section Review has had one of its values mistakenly copied over from problem #112. The answer to #113, as it is, would be 2200000 m, however the corresponding student solutions manual says that the correct answer is 0.00135 m. Also, this answer is silly. Attached are problems #112 and #113.</p>	<p>Revise exercise 113 to correct the thickness of a dime as follows: 113. A dime is the thinnest coin in U.S. currency. A dime's thickness measures 1.35×10^{-3} m. Rewrite the number in standard notation.</p>	<p>Minor</p>

<p>Chapter 2: Equations and Inequalities, Section: Linear Equations in One Variable, Example 14: The second equation is not complete and the equation for the blue line on the graph should be $y = \frac{3}{4}x - 2$.</p>	<p>Revise the second equation in the solution for Example 14 "Graphing Two Equations, and Determining Whether the Lines are Parallel, Perpendicular, or Neither" as follows: Second equation: $3x - 4y = 8$ $-4y = -3x + 8$ $y = (\frac{3}{4})x - 2$</p>	<p>Typo</p>
<p>Chapter 2: Equations and Inequalities, Section: Complex Numbers, Odd Answers, #3: Give an example to show that the product of two imaginary numbers is not always imaginary. Solution in Odd Answers: Possible answer: i times i equals 1, which is not imaginary. No, i times i equals -1, which also is not imaginary.</p>	<p>Revise the answer to #3 to say "i times $i = -1$" as follows: 3. Give an example to show that the product of two imaginary numbers is not always imaginary. Possible answer: i times i equals -1, which is not imaginary.</p>	<p>Minor</p>
<p>Ch 2: Equations and Inequalities, Section: Models and Applications, Section Exercises 13-16: The number of devices that makes the two plans equal in cost is six, but this number of devices is outside the domain of the function for the Family Plan, for which the \$90 monthly fee only applies up to five lines. I suspect that the level of the question does not expect the student to deal with solutions outside the domain. If it does, the question should include a prompt for such analysis. The difficulty can be easily fixed by changing the, "up to 5 lines," to, perhaps, "up to eight lines."</p>	<p>Revise the Section Exercises instructions for #13 - 16 to replace "up to 5 lines" with "up to 8 lines" for the Family Plan.</p>	<p>Minor</p>

<p>Chapter 2: Equations and Inequalities, Section: Other Types of Equations, Odd Answers, #19: Solve the following polynomial equations by grouping and factoring. $5x^3 + 45x = 2x^2 + 18$ The equation has three solutions, two of which are imaginary, but the solutions at the back of the book only give the real solution. Solving quadratic equations with complex solutions was touched upon but not well covered in the previous section (Section 2.5, Example 10), so it's not unreasonable to expect students to find the imaginary solutions. Perhaps solving equations with complex solutions should be given more explicit coverage. In the section on "Using the Square Root Property" perhaps you should have one or two examples with complex solutions, and then have a section of exercises with complex solutions. Then you could assign 2.6 #19 above and expect students to find all three solutions.</p>	<p>Revise the answer to #19 as follows: 19. $5x^3 + 45x = 2x^2 + 18$ Answer: $2/5, \pm 3i$.</p>	<p>Minor</p>
<p>Chapter 2: Equations and Inequalities, Section: Quadratic Equations, Example 1: Solving an equation by factoring, there is a discussion of factoring the equation and finding solutions that is just fine. However, the Figure 2 following (in the online version), which is the same as Fig. 2.41, shows an unlabeled graph of $y = (x-2)(x+3)$, and claims that the solutions are the x-intercepts of $(x-2)(x+3) = 0$. There are two issues I want to point out here: First, I never allow students to provide a graph sketch if they do not say what it is a graph of, and I don't want my textbook to do that either. I have seen several of these so far (I have only looked through chapter 2) - these should be fixed. Second, an equation in x does not have x-intercepts. It is difficult for students at this level to get used to how equations and graphs of functions connect, but also make the distinction between relationship between y and x and an equation in x alone.</p>	<p>Revise the solution of Example 1 "Factoring and Solving a Quadratic with Leading Coefficient of 1" to add "y =" before the equation as follows: "...The solutions are the x-intercepts of $y = x^2 + x - 6 = 0$."</p>	<p>Typo</p>

<p>Chapter 2: Equations and Inequalities, Section: Quadratic Equations, Section Exercises #15: Second solution to Section 2.5, Exercise 15 is missing (should have solutions $x = -2$, $x = 3$; answer shows only the $x = -2$ solution).</p>	<p>Revise the solution to exercise 15 as follows: $5x^2 = 5x + 30$ Solution: $x = -2, 3$</p>	<p>Typo</p>
<p>Chapter 2: Equations and Inequalities, Section: Quadratic Equations: The discriminant, the claim about the nature of the rationality of solutions is false. More specifically: the claim only holds if a, b, c are themselves rational, and can fail if any of them are irrational (compare to the definitions which permit a, b, c to be any real number). Example 1: $x^2 + \sqrt{2}x = 0$. Discriminant is 4, a perfect square, and the book claims that the solutions will be "two rational solutions". However, the solutions are $\{0, -\sqrt{2}\}$. Example 2: $x^2 + \sqrt{2}x + 1/2 = 0$. Discriminant is 0, and the book claims that the solution will be "one rational number". However, the solution is $\{-\sqrt{2}/2\}$. Resolution: The claims about rationality of solutions should be stricken out. More simply, as in other texts: If discriminant $d > 0$ then two real solutions; if $d = 0$ then one repeated real solution; if $d < 0$ then two complex solutions. Answers to examples and exercises should be changed to match this.</p>	<p>In the box "the discriminant", revise the first sentence as follows: "For $ax^2 + bx + c = 0$, where $a, b,$ and c are rational and real numbers, the discriminant is the expression under the radical in the quadratic formula: $b^2 - 4ac$."</p>	<p>Typo</p>

<p>Chapter 2: Equations and Inequalities, Section: Quadratic Equations AND Chapter 3: Functions, Section: Functions and Function Notation, Table 3.14:</p> <p>Text refers to "Factoring and Solving a Quadratic Equation of Higher Order." A quadratic equation is order 2 and only order 2. There is no higher order quadratic equation. It should read "Solving a Quadratic Equation by Factoring when the Leading Coefficient is not 1." Example 5 The same basic error appears. "Solving a Higher Degree Quadratic Equation by Factoring." A quadratic equation has a degree of 2 and no higher degree exists for a quadratic equation. Perhaps it should read, "Solving a Polynomial of Higher Degree by Factoring." The video link for solving equations with rational exponents using reciprocal powers takes viewers to a link with an incorrect solution. The second problem solved in the video is not done properly and one solution is completely missed. In the graphs for the Toolkit functions, both the quadratic and square root functions should have arrows added to the graphs of the functions to indicate that the functions do indeed continue.</p>	<p>Revise subsection title "Factoring and Solving a Quadratic Equation of Higher Order" to "Solving a Quadratic Equation by Factoring when the Leading Coefficient is not 1" Revise Example 2.43 title "Solving a Higher Degree Quadratic Equation by Factoring" to "Solving a Polynomial of Higher Degree by Factoring". Revise Table 3.14 so that all graphs for Toolkit functions indicate with arrows the direction in which the function continues.</p>	<p>Typo</p>
<p>Chapter 3: Functions, Section: Functions and Function Notation, Exercise 71: The 12th exercise under the Numeric headline is $f(x) = 3 + \text{the square root of } (x+3)$. Under the solutions, it says that $f(1)=4.5$. However, $f(1)=5$ because the square root of $(1+3)= \text{square root of } (4) = 2$ and $3+2=5$.</p>	<p>In the web view, revise the solution for $f(1)$ in exercise 71 as follows: 71. $f(x) = 3 + \sqrt{x+3}$ Solution $f(1) = 5$</p>	<p>Typo</p>
<p>Chapter 3: Functions, Section: Rates of Change and Behavior of Graphs, Example 3: Example 1.31 $D(t)$ for $t=6$ shows 282 in the table, should show 292</p>	<p>In Example 3 "Computing Average Rate of Change from a Table," revise the value under "t(hours), 6" in the table from 282 to 292.</p>	<p>Typo</p>

<p>Ch 3: Functions, Section: Composition of Functions, Example 9: Revise the solution. The composite function $(f \circ g)(x) = \sqrt{\sqrt{3-x} + 2}$. The domain of this function is $(-\infty, 3]$. The original solution missed the square root of g and had $\sqrt{3-x+2} = \sqrt{5-x}$ as the composite function.</p>	<p>Revise the solution to Example 9 "Finding the Domain of a Composite Function Involving Radicals" as follows: Solution Because we cannot take the square root of a negative number, the domain of g is $(\text{negative infinity}, 3]$. Now we check the domain of the composite function $(f \circ g)(x) = \sqrt{\sqrt{3-x} + 2}$ For $(f \circ g)(x) = \sqrt{\sqrt{3-x} + 2}$, $\sqrt{3-x} + 2 \geq 0$, since the radicand of a square root must be positive. Since square roots are positive, $\sqrt{3-x} \geq 0$, or $3-x \geq 0$, which gives a domain of $(\text{negative infinity}, 3]$.</p>	<p>Major</p>
<p>Chapter 3: Functions, Section: Composition of Functions, Figures 3 and 4: Exercises 42 - 49, the second graph should be labeled "$g(x)$," not "$f(x)$." Similarly, in Exercises 50-57, the second and third graphs are $g(x)$ and $h(x)$.</p>	<p>Label graph 3 "f" and graph 4 "g".</p>	<p>Typo</p>
<p>Chapter 3: Functions, Section: Transformation of Functions, Example 4: $f(x)$ should actually be $f(x-3)$ in the first column, 3rd row.</p>	<p>In the second table of the solution to Example 4 "Shifting a Tabular Function Horizontally", revise the first column, third row from "$f(x)$" to "$f(x-3)$".</p>	<p>Typo</p>

<p>Chapter 3: Functions, Section: Transformation of Functions, and Section: Inverse Functions:</p> <p>C transformations box. Second grouping, “$f(bx+h)$, first horizontally shift by h and then horizontally stretch by $1/b$” really should be “$f(bx-h)$, first horizontally stretch by $1/b$ and then horizontally shift by h/b”. Stretch and compressions should be done before shifts, actual shift will be h/b, and the minus is to maintain similar notation from previous presentation of horizontal shifts. Third grouping “$f(b(x+h))$” should be “$f(b(x-h))$” to stick with similar notation from previous presentation of horizontal shifts. Second: Page 257 Last paragraph of text before Q&A: “$f(x)=x^2$ with its range limited to $[0, \infty)$, which is a one-to-one function” should be “$f(x)=x^2$ with its domain limited to $[0, \infty)$, which is a one-to-one function”.</p>	<p>In Section: Transformation of Functions, Subsection: Performing a Sequence of Transformations, "combining transformations" box, revise "form $f(bx + h)$" to "form $f(bx - h)$" and "form $(b(x + h))$" to "form $(b(x - h))$". In Section: Inverse Functions, Subsection: Finding Domain and Range of Inverse Functions, revise the last paragraph to say "domain" instead of "range" as follows: "...For example, we can make a restricted version of the square function $f(x) = x^2$ with its domain limited to $[0, \infty)$...</p>	<p>Typo</p>
<p>Chapter 3: Functions, Section: Transformation of Functions, Subsection: Graphing Functions Using Reflections about the Axes: In the process of reflecting the base function the book chose two points as a reference and performed the three transformations. The first was correct. The second transformation has a typo $(0, -1)$ $(1, -2)$ should be $(0, -1)$ $(-1, -2)$. The third transformation has a typo $(0, 0)$ $(1, 1)$ should be $(0, 0)$ $(-1, -1)$. (This means that the original points, $(0,1)$ and $(1,2)$ become $(0,0)$ and $(1,1)$ after we apply the transformations.) should be -> (This means that the original points, $(0,1)$ and $(1,2)$ become $(0,0)$ and $(-1,-1)$ after we apply the transformations.)</p>	<p>Revise the solution to Example 3.59 "Applying a Learning Model Equation" as follows: Solution ... 1. First, we apply a horizontal reflection: $(0, 1)$ $(-1, 2)$. 2. Then, we apply a vertical reflection: $(0, ?1)$ $(-1, -2)$. 3. Finally, we apply a vertical shift: $(0, 0)$ $(-1, -1)$. This means that the original points, $(0,1)$ and $(1,2)$ become $(0,0)$ and $(-1,-1)$ after we apply the transformations.</p>	<p>Typo</p>
<p>Chapter 3: Functions, Section: Inverse Functions, Section Exercises #16: $f(x)$ is incorrect. It should be: $f(x)=x/(2+x)$.</p>	<p>Revise exercise 16 as follows: "Given $f(x) = x/(2+x)$ and $g(x) = (2x)/(1 - x)$..."</p>	<p>Typo</p>
<p>Chapter 4: Linear Functions: Linear Functions: #45 has a typo Currently is: $-2x+5=20$ $-2(0)+5y=20$ y-int: $(0,-5)$ $0=3x-5$ x-int $(5/3,0)$ should be: $-2x+5y=20$ $-2(0)+5y=20$ y-int: $(0,4)$ $-2x+5(0)=20$ x-int: $(-10,0)$</p>	<p>Revise to: $-2x+5y=20$ $-2(0)+5y=20$ y-int: $(0,4)$ $-2x+5(0)=20$ x-int: $(-10,0)$</p>	<p>Typo</p>

<p>Chapter 5: Polynomial and Rational Functions, Section: Power Functions and Polynomial Functions, Subsection: Identifying Polynomial Functions: Definition of a polynomial "Each a_i is a coefficient and can be any real number other than zero." Should be "Each a_i is a coefficient and can be any real number, a_n is not equal to zero." Only the leading coefficient cannot be zero. As it currently is stated, a polynomial must have a nonzero term for every exponent which is definitely not the case.</p>	<p>In the "polynomial functions" box, revise "Each a_i is a coefficient and can be any real number other than zero." to "Each a_i is a coefficient and can be any real number, but a_n cannot = 0."</p>	<p>Typo</p>
<p>Ch 5: Polynomial and Rational Functions, Section: Graphs of Polynomial Functions, Try It #2: It says it is a degree 5 polynomial and the zero at $x=-5$ is multiplicity 1, but it should be a degree 7 polynomial with the zero at $x=-5$ of multiplicity 3, since it looks like it is crossing the x-axis more like a cubic than a linear function.</p>	<p>Revise the answer to Try It #2 as follows: Try It #2 Use the graph of the function of degree 5 in Figure 10 to identify the zeros of the function and their multiplicities. Answer: The graph has a zero of -5 with multiplicity 3, a zero of -1 with multiplicity 2, and a zero of 3 with multiplicity 4.</p>	<p>Typo</p>
<p>Chapter 5: Polynomial and Rational Functions, Section: Rational Functions, Example: Identifying Horizontal and Slant Asymptotes: Example 5.54 b: The example uses Synthetic Division to find the quotient for the slant asymptote. While the quotient is correct the wrong divisor was used. The example used a +2 when it should have been a -2. It goes on to state the quotient is $x - 2$ and the remainder is thus the slant asymptote is $y = -x - 2$. The quotient is really $x - 6$ with a remainder of 13 and the slant asymptote $y = x - 6$</p>	<p>Revise the solution to Example 5.54 "Identifying Horizontal and Slant Asymptotes" part b. as follows: Solution ... b. $\begin{array}{r rrrr} -2 & 1 & -4 & 1 & ______ \\ & -2 & 12 & ______ & 1 & -6 & 13 \end{array}$ The quotient is $x - 6$ and the remainder is 13. There is a slant asymptote at $y = x - 6$.</p>	<p>Typo</p>

<p>Chapter 5: Polynomial and Rational Functions, Section: Power Functions and Polynomial Functions, Figure: 5.21:</p> <p>There is an few errors in Figure 5.21. The figure shows the end behavior of the function $f(x) = kx^n$ where n is a positive integer. The captions for the individual graphs are incorrect in three of the four boxes. They should read If $k > 0$ then for odd values of n as $x \rightarrow$ infinity then $f(x) \rightarrow$ infinity and as $x \rightarrow$ negative infinity then $f(x) \rightarrow$ negative infinity If $k < 0$ then for even values of n as $x \rightarrow$ infinity then $f(x) \rightarrow$ negative infinity and as $x \rightarrow$ negative infinity then $f(x) \rightarrow$ negative infinity If $k < 0$ then for off values of n as $x \rightarrow$ infinity then $f(x) \rightarrow$ negative infinity and as $x \rightarrow$ negative infinity then $f(x) \rightarrow$ infinity</p>	<p>Revise negative and positive signs preceding infinity signs in Figure 5.21.</p>	<p>Typo</p>
<p>Chapter 5: Polynomial and Rational Functions, Section: Dividing Polynomials, Example 2: There is a sign error in the line that says "multiply $3x - 2$ by $5x$. It should have a $-10x$, instead of the written $+10x$.</p>	<p>Revise "+" to "-" in the fourth line of the solution for Example 2 "Using Long Division to Divide a Third-Degree Polynomial" as follows: ... $-(15x^2 - 10x)$ _____ Multiply $3x - 2$ by $2x^2$</p>	<p>Typo</p>
<p>Chapter 5: Polynomial and Rational Functions, Section: Zeros of Polynomial Functions, Example: Using the Factor Theorem to Solve a Polynomial Equation:</p> <p>There is an error in the synthetic division shown in Example 5.40 on page 564. The shown work in the example is copied from Example 5.39 on the previous page and is not the problem covered in the example. The remainder of the problem seems correct.</p>	<p>Revise Example 5.40 Using the Factor Theorem to Solve a Polynomial Equation as follows: Solution: We can use synthetic division to show that $(x+2)$ is a factor of the polynomial. $-2 \mid 1 \quad -6$ $-1 \quad 30 \quad _ \mid \quad -2 \quad 16 \quad -30 \quad _ \quad 1$ $-8 \quad 15 \quad 0$ (Previously Solution: $2 \mid 6 \quad -1 \quad -15 \quad 2 \quad -7 \quad _ \mid \quad 12$ $22 \quad 14 \quad 32 \quad _ \quad 6 \quad 11 \quad 7 \quad 16$ $25 \quad)$</p>	<p>Typo</p>
<p>Chapter 5: Polynomial and Rational Functions, Section: Graphs of Polynomial Functions, Example 2:</p> <p>Example 5.23 The first exponent of x should be 6, not 2.</p>	<p>In Example 2 "Finding the x-Intercepts of a Polynomial Function by Factoring", revise the first line of the solution as follows: Solution $x^6 - 3x^4 + 2x^2 = 0$ (Previous: $x^2 - 3x^4 + 2x^2 = 0$)</p>	<p>Typo</p>
<p>Chapter 5: Polynomial and Rational Functions, Section: Inverses and Radical Functions, Example 7: On the graph, the y-intercept is not $(0, 6)$, but $(0, \sqrt{6})$.</p>	<p>Revise the solution to Example 7 "Finding the Domain of a Radical Function Composed with a Rational Function" as follows: There is a y-intercept at $(0, \sqrt{6})$.</p>	<p>Typo</p>

<p>Chapter 5: Polynomial and Rational Functions, Practice Test #11: The answer provided for problem 11 of the chapter 3 practice test seems to be incorrect. There is indeed a root of 0 with multiplicity of 4, but the other roots are complex, not 3. If you evaluate the polynomial for 3, the result is 1458 which is not zero. see: http://www.wolframalpha.com/input/?i=y%3D2x%5E6-6x%5E5%2B18x%5E4</p>	<p>Revise the second coefficient in exercise 11 from 6 to 12 as follows: 11. $2x^6 - 12x^5 + 18x^4$</p>	<p>Typo</p>
<p>Chapter 6: Exponential and Logarithmic Functions, Section: Exponential Functions, Example 6: Graph does not go through (2,12) and it should as that is the second point used in the example to find b.</p>	<p>Revise the graph for Example 6 "Writing an Exponential Function Given Its Graph" so that it goes through the point (2, 12).</p>	<p>Typo</p>
<p>Chapter 6: Exponential and Logarithmic Functions, Section: Exponential Functions, Subsection: Defining an Exponential Function: A study found that the percent of the population who are vegans in the United States doubled from 2009 to 2011. In 2011, 2.5% of the population was vegan, adhering to a diet that does not include any animal products—no meat, poultry, sh, dairy, or eggs. If this rate continues, vegans will make up 10% of the U.S. population in 2015, 40% in 2019, and 80% in 2050. The last year should be 2021, not 2050.</p>	<p>In the first paragraph, revise the year given for 80% of the U.S. population being vegan from 2050 to 2021.</p>	<p>Typo</p>
<p>Chapter 6: Exponential and Logarithmic Functions, Section: Exponential Functions, Subsection: Evaluating Functions with Base e: In the table, once per hour is 8760 times not 8766, once per minute compound is 525,600 times not 525,960, once per second is 31536000 times not 31557600.</p>	<p>Revise Table 5 as follows: ...Examine the value of \$1 invested at 100% interest for 1 year, compounded at various frequencies, listed in Table 5. Frequency $A(t) = (1 + [1/n])^n$ Value Hourly $A(t) = (1 + [1/8760])^{8760}$ \$2.718127 Once per min $A(t) = (1 + [1/525600])^{525600}$ \$2.718279 Once per sec $A(t) = (1 + [1/31536000])^{31536000}$ \$2.718282</p>	<p>Typo</p>

<p>Chapter 7: Trigonometric Functions, Section: Right Triangle Trigonometry, Exercise 45: Exercise # 45. shows a side length of 119 as the side length opposite the angle of 70 degrees. Solution uses the side length of 119 as the hypotenuse of the right triangle with 70 degrees. Solution is incorrect for problem as stated.</p>	<p>Revise the solution to exercise 45 to "200.673".</p>	<p>Typo</p>
<p>Chapter 7: Trigonometric Functions, Section: Right Triangle Trigonometry, Section Exercises #49: Change "tower" to "monument", as it is unclear and misleading. A 400-foot tall monument is located in the distance. From a window in a building, a person determines that the angle of elevation to the top of the monument is 18°, and that the angle of depression to the bottom of the TOWER is 3°. How far is the person from the monument?</p>	<p>Revise "monument" to "tower" in exercise 49 as follows: 49. A 400-foot tall monument is located in the distance. From a window in a building, a person determines that the angle of elevation to the top of the monument is 18°, and that the angle of depression to the bottom of the tower is 3°. How far is the person from the monument?</p>	<p>Typo</p>
<p>Chapter 7: The Unit Circle: Sine and Cosine Functions, Section: Right Triangle Trigonometry: Section 7.2 Right Angle Trig...Under fig. 2, sec t should be replaced with tan t. See red arrow in attachment.</p>	<p>Update Figure</p>	<p>Minor</p>
<p>Chapter 7: The Unit Circle: Sine and Cosine Functions, Section: Right Triangle Trigonometry, Subsection: Using Right Triangle Trigonometry to Solve Applied Problems, first figure: angle of depression is modeled incorrectly. Should be from the horizontal, not from the vertical.</p>	<p>Revise the first figure in subsection "Using Right Triangle Trigonometry to Solve Applied Problems" to correctly show the angle of depression as the angle between the horizontal and the line from the object to the observer's eye.</p>	<p>Major</p>
<p>Chapter 7: The Unit Circle: Sine and Cosine Functions, Section: The Unit Circle, Figure 17: Unit Circle diagram says 90, pi/2, (0,-1). Should say 90, pi/2, (0,1).</p>	<p>Revise "90, pi/2, (0,-1)" to "90, pi/2, (0,1)" in Figure 17 Special angles and coordinates of corresponding points on the unit circle.</p>	<p>Typo</p>
<p>Chapter 7: The Unit Circle: Sine and Cosine Functions, Section: Unit Circle, Subsection: Using Reference Angles to Evaluate Trigonometric Functions: Example 7.23 Solution cosine 150 degrees stated negative because in second quadrant x-coordinate negative but answer rad 3 over 2 is still positive</p>	<p>Revise the solution to Example 7.23 "Using Reference Angles to Find Sine and Cosine" to use the value "$-(\sqrt{3})/2$" for $\cos(150 \text{ degrees})$.</p>	<p>Typo</p>

<p>Chapter 7: Trigonometric Functions, Section: The Other Trigonometric Functions, Try It #6: The problem is written as "Simplify $\tan t(\cos t)$." Suggest to write as "Simplify $(\tan t)(\cos t)$." to remove any ambiguity if the tangent function or if the angle 't' are being multiplied by $(\cos t)$.</p>	<p>Revise the Try It after Example 6 "Using Identities to Simplify Trigonometric Expressions" to include parentheses around "tan t" as follows: Try It #6 Simplify $(\tan t)(\cos t)$.</p>	<p>Typo</p>
<p>Chapter 8: Periodic Functions, Section: Graphs of the Other Trigonometric Functions: misstates the range of $y = A \tan(Bx - C) + D$ ditto page 535 for $y = A \cot(Bx - C) + D$</p>	<p>Revise the range in the boxes "features of the graph of $y = A \tan(Bx - C) + D$" and "features of the graph of $y = A \cot(Bx - C) + D$" to "(negative infinity, infinity)".</p>	<p>Typo</p>
<p>Chapter 9: Trigonometric Identities and Equations, Section: Double-Angle, Half-Angle, and Reduction Formulas, Exercises: Problem 3, the plus/minus sign is not stated in the formula for $\tan(x/2)$ and should be added.</p>	<p>In exercise 3, add a + - sign before the half-angle formula for tan.</p>	<p>Typo</p>
<p>Chapter 9: Trigonometric Identities and Equations, Section: Double-Angle, Half-Angle, and Reduction Formulas, Subsection: Using Half-Angle Formulas to Find Exact Values: On the derivation for the power reduction identity for sine squared, the second step has a misuse of parentheses. The right side of the equation should have a "$\cos(2 \cdot \text{ALPHA}/2)$" not the way it's currently shown. I've attached a photo of the incorrect txt.</p>	<p>In the derivation for the half-angle formula for sine, revise the second step as follows: $\sin^2(\alpha/2) = [1 - \cos(2 \times \alpha/2)]/2$</p>	<p>Typo</p>
<p>Chapter 9: Trigonometric Identities and Equations, Section: Double-Angle, Half-Angle, and Reduction Formulas, Exercises: Example number 37 needs to have the right side of the equation revised to show "$\tan^3(\text{THETA})$" as this is what the left side equals.</p>	<p>In exercise 37, revise the right side of the equation to "$\tan^3 \theta$".</p>	<p>Typo</p>

<p>Chapter 9: Trigonometric Identities and Equations, Section: Double-Angle, Half-Angle, and Reduction Formulas, Example 2: There are 2 errors in the process. (1) The instructions are to write the solution in terms of $\cos(3x)$. However, the solution provided gives the answer in terms of $\cos(3x)$ and $\sin(3x)$. (2) a double angle wasn't used in the steps as $(6x)$ was replaced with $(3x + 3x)$ and subsequently, the addition identities were used. At most, the double angle formula $\cos(2x) = \cos^2(3x) - \sin^2(3x)$ appears (but wasn't!) to be used as per the instructions. Instead, the solution should be $\cos(6x) = \cos(2(3x)) = 2\cos^2(3x) - 1$.</p>	<p>Revise the solution to Example 2 as follows: Example 2: Using the Double-Angle Formula for Cosine without Exact Values Solution $\cos(6x) = \cos(2(3x)) = \cos^2(3x) - \sin^2(3x) = 2\cos^2(3x) - 1$</p>	<p>Typo</p>
<p>Chapter 9: Trigonometric Identities and Equations, Section: Double-Angle, Half-Angle, and Reduction Formulas, Exercises: The quadrant in which an angle lies is not sufficient information to determine the quadrant in which half the angle lies. (Remember coterminal angles??) Problems need to be more explicit.</p>	<p>Revise the instructions for exercises 20 - 23 as follows: "For the following exercises, find the exact values of ... without solving for x, when $0 \leq x \leq 360$ degrees."</p>	<p>Major</p>
<p>Chapter 10: Further Applications of Trigonometry, Section: Non-right Triangles: Law of Sines, Example 2: angles γ and γ' are called supplementary with corresponding values 14.9 and 95.1 degrees</p>	<p>In the solution to Example 2 "Solving an Oblique SSA Triangle", revise the sentence "Since γ' is supplementary to γ, we have..." to "Since γ' is supplementary to α and β, we have..."</p>	<p>Typo</p>
<p>Chapter 12: Analytic Geometry, Section: The Parabola, Figure 5: The graph of the parabola that opens to the left in Figure 5 needs to be revised. The vertex is at $(0,0)$ but the y-axis shown doesn't go through the point.</p>	<p>In the online text, revise the graph of the parabola on the left in Figure 5 to show the y-axis at point $0, 0$.</p>	<p>Typo</p>
<p>Chapter 13: Sequences, Probability and Counting Theory, Section: Arithmetic Sequences, Exercises: In the exercises for sequences, sequences are given the name "a_n" rather than "a". The notation "a_n" refers to a single element of the sequence, not the entire sequence.</p>	<p>For exercises 28 - 55, revise "a_n" to "a".</p>	<p>Typo</p>